

Plasma Edge Simulations by Finite Elements using COMSOL

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Introduction

Large area PECVD depositions ($>1\text{m}^2$)

Application

Silicon deposition

Thin film solar cells

Flat displays

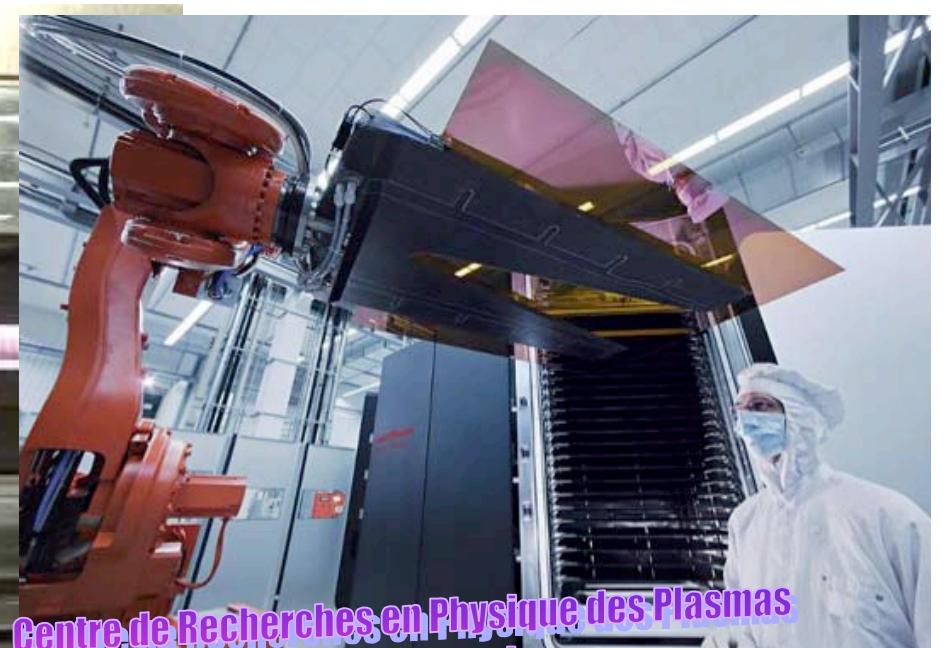
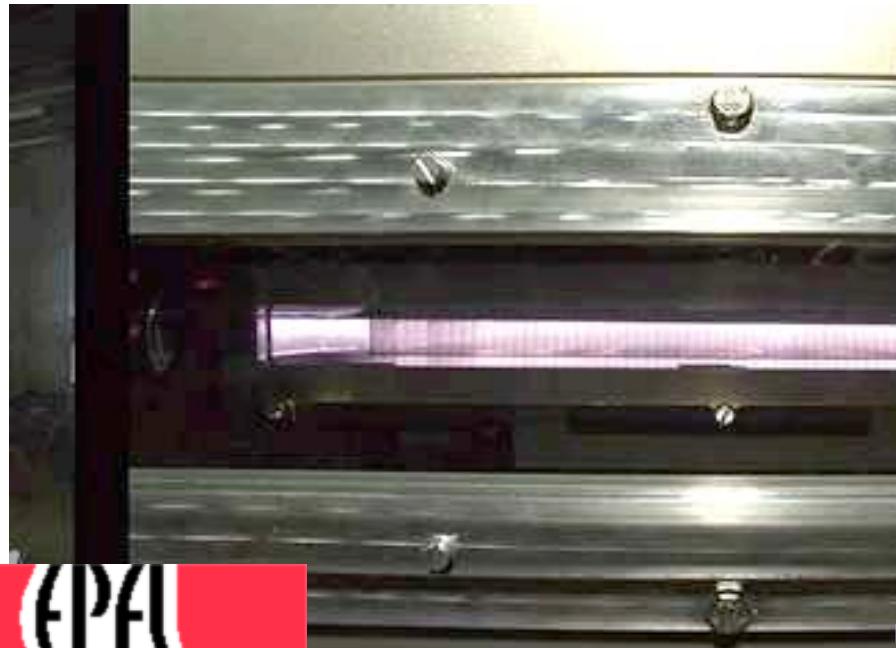


Problems of large area plasma depositions

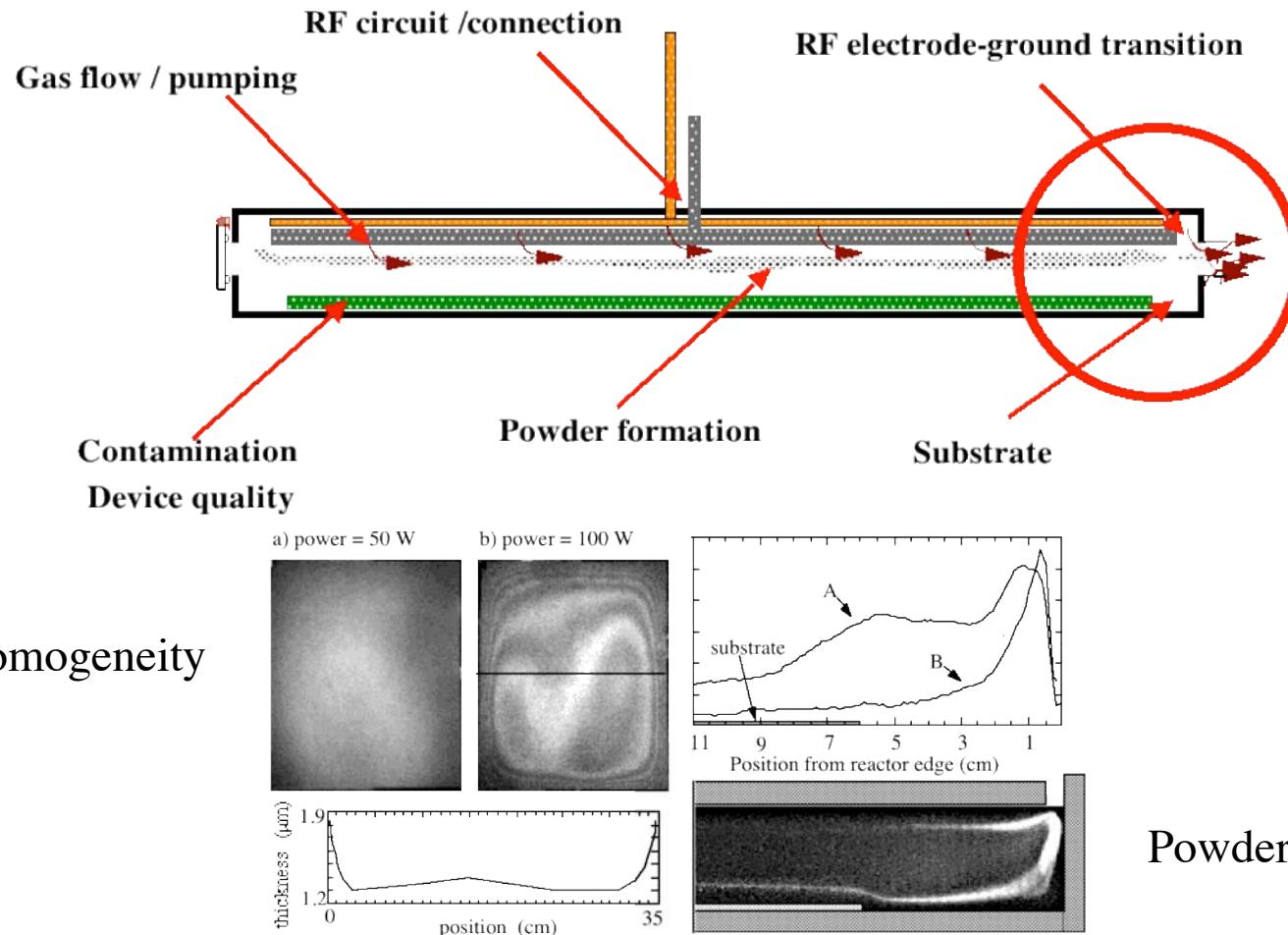
Homogeneity (... of layer thickness, structure)

Gas flow
Electrical parameters
Edge effects

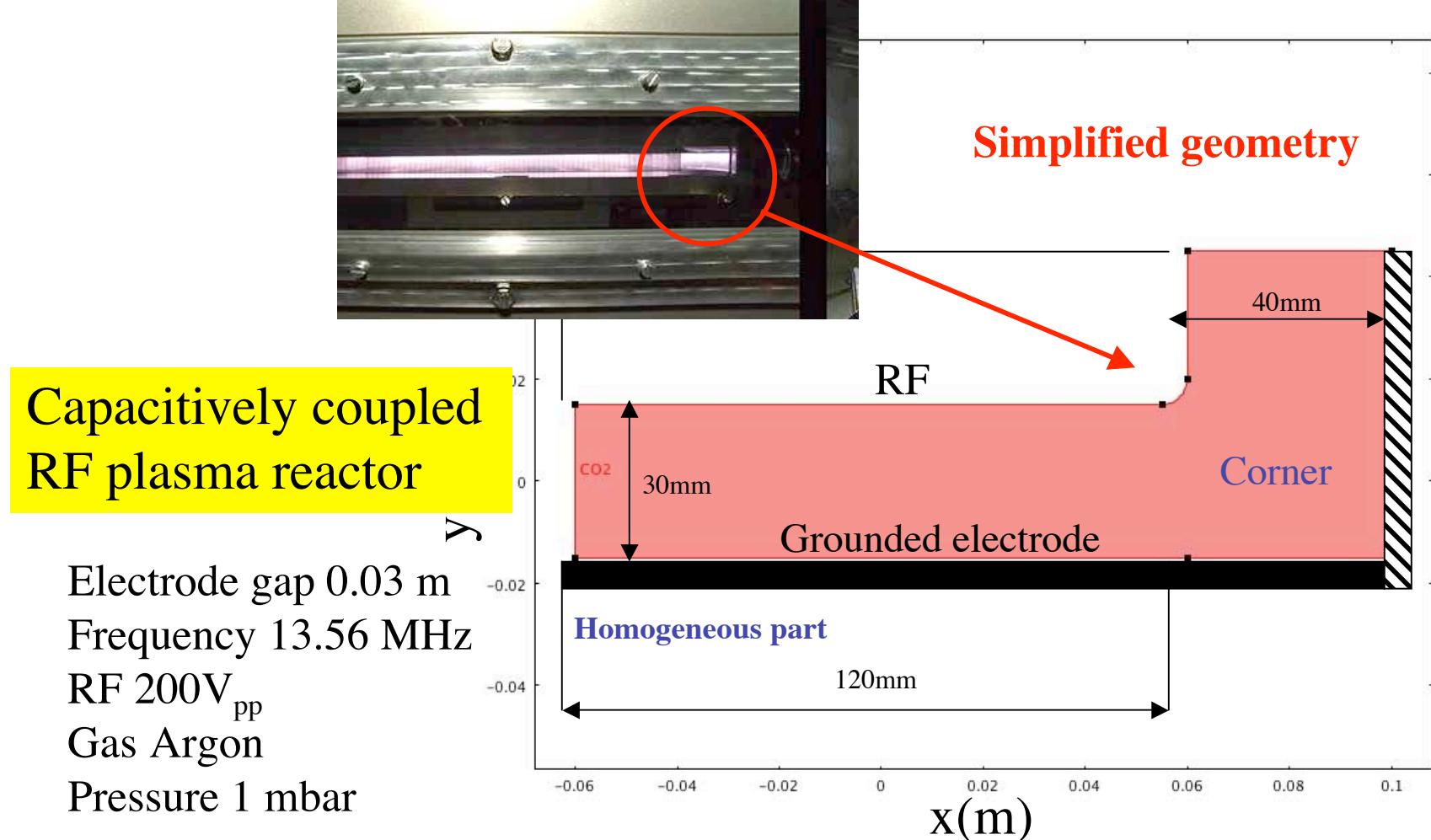
.....



Problems of large area plasma reactors



Plasma reactor parameters and geometry



Basic equations and boundary conditions

2D Fluid equation

electron continuity: $\frac{\partial n_e}{\partial t} + \nabla \cdot \underline{\Gamma}_e = k_{ion} n_e N; \quad \underline{\Gamma}_e = -\mu_e n_e \underline{E} - D_e \nabla n_e$

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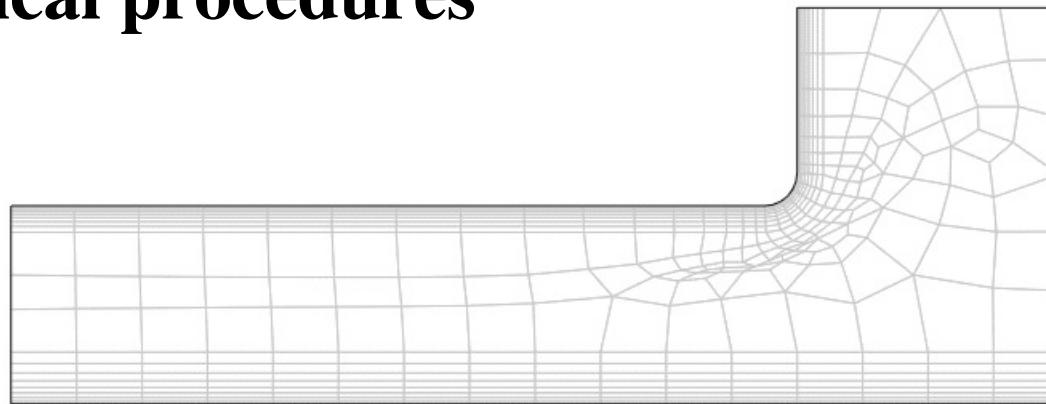
electron energy continuity; ($n_e \varepsilon$) is the energy density in $\text{eV} \cdot \text{m}^{-3}$:

$$\frac{\partial(n_e \varepsilon)}{\partial t} + \nabla \cdot \underline{\Gamma}_w = -\underline{\Gamma}_e \cdot \underline{E} - K_{loss} n_e N; \quad \underline{\Gamma}_w = -\frac{5}{3} \mu_e (n_e \varepsilon) \underline{E} - \frac{5}{3} D_e \nabla (n_e \varepsilon);$$

$$-\underline{\Gamma}_e \cdot \underline{E} = \mu_e n_e (E_x^2 + E_y^2) + D_e \left(\frac{\partial n_e}{\partial x} E_x + \frac{\partial n_e}{\partial y} E_y \right).$$

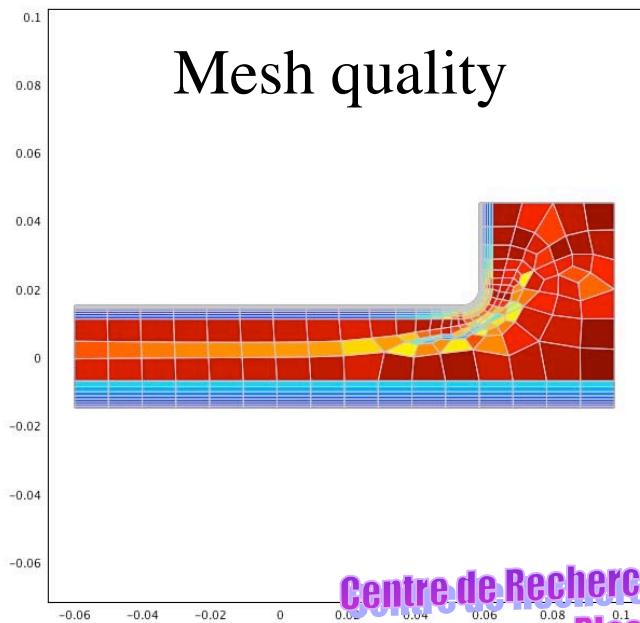
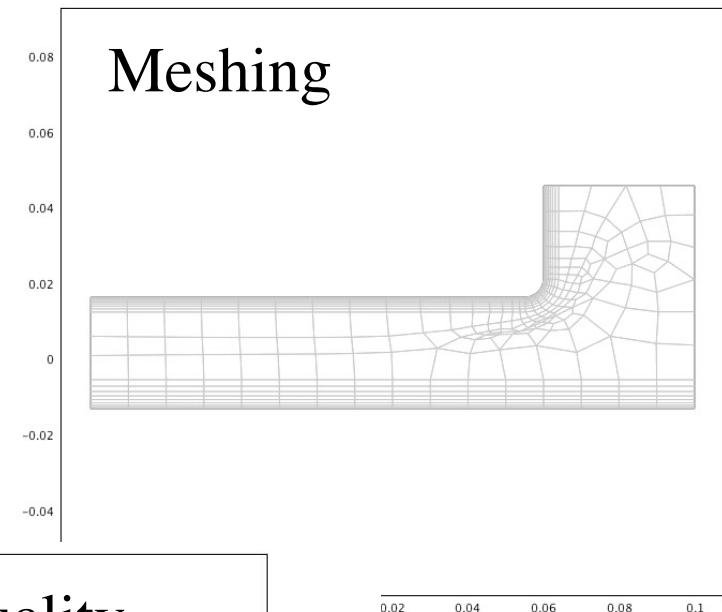
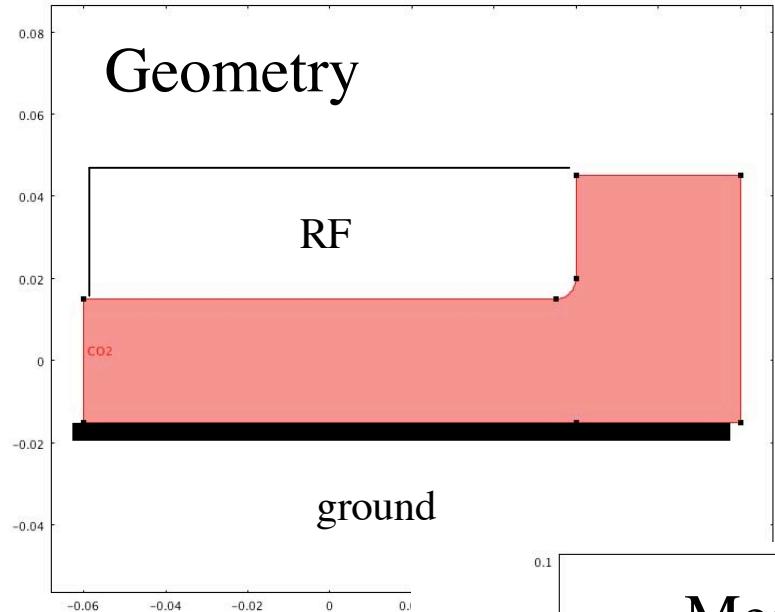
Poisson's equation: $\nabla^2 V = -\frac{e}{\epsilon_0} (n_i - n_e); \quad \underline{E} = -\nabla V$

Numerical procedures



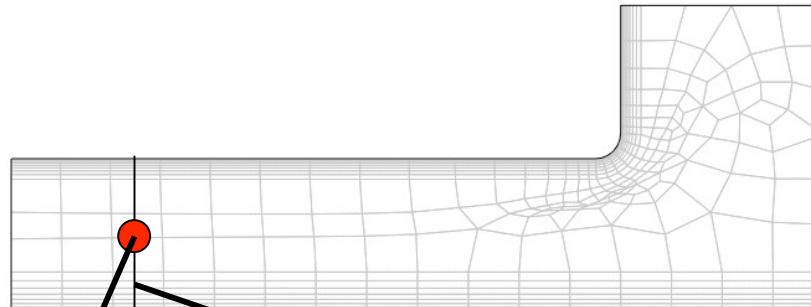
- Meshing:
- Quadrilateral mesh
 - Boundary mesh option
 - Optimizing (calculation time, memory...)
- Solver:
- Spoole (time dependent)

A simple case

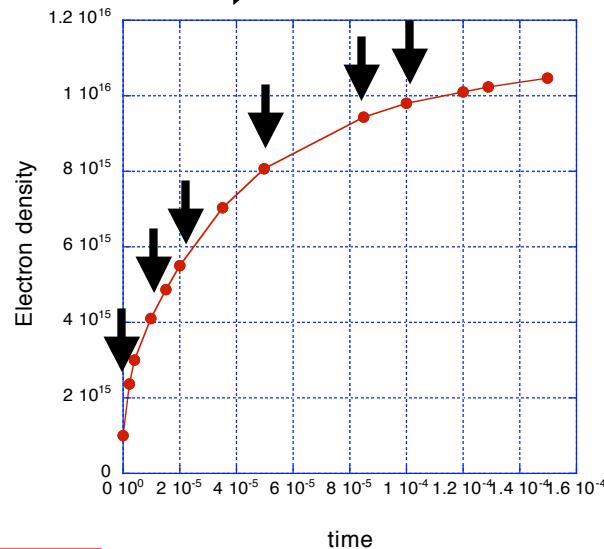


Meshering and convergence

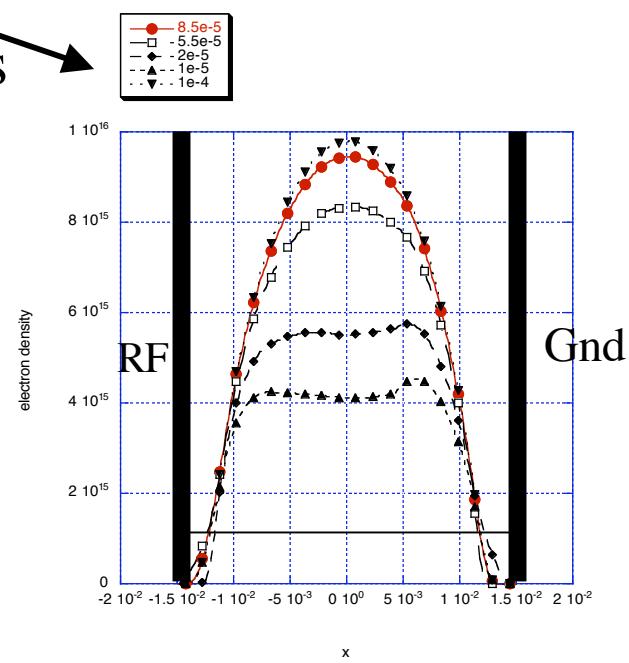
Mesh



Convergence

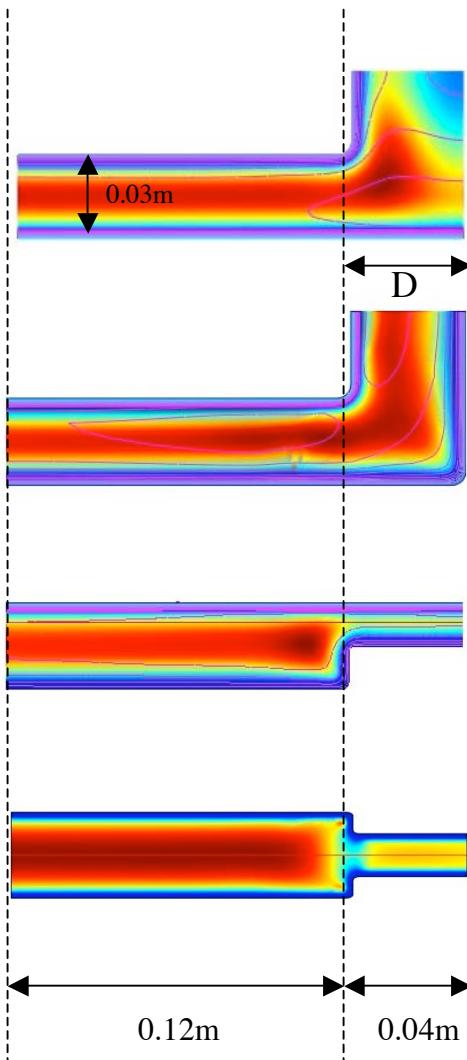


Profils



Important !

Investigated simplified geometries



Open geometry

Closed geometry

D=40mm

D=20mm

D=10mm

Asymmetric

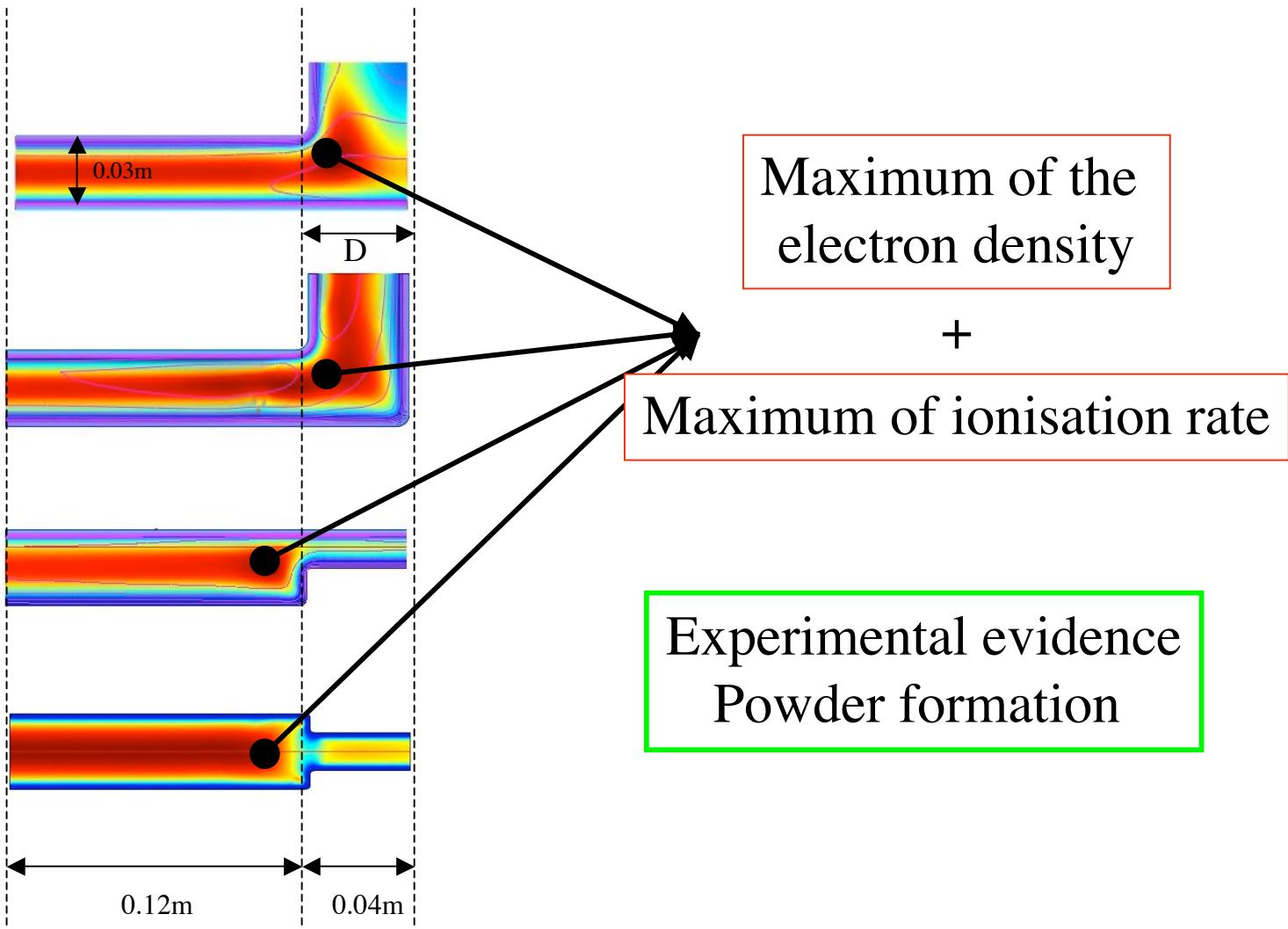
D=15mm

Symmetric

D=15mm

Benchmark with 1D

First result

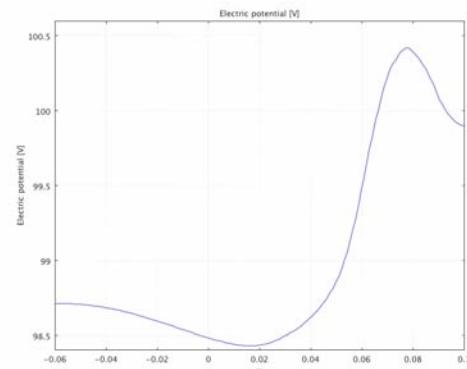


Presence of a Double Layer?

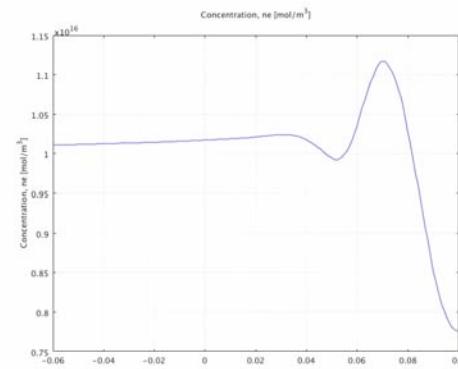
Contour plot electron density



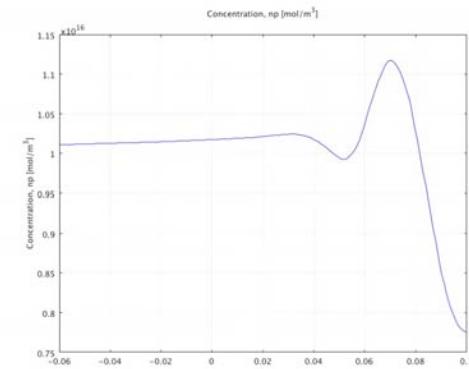
Line plots



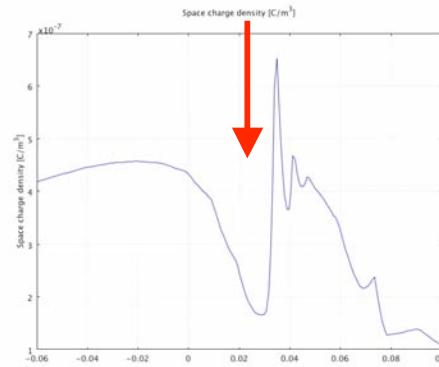
Potential



n_e



n_p

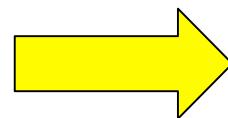
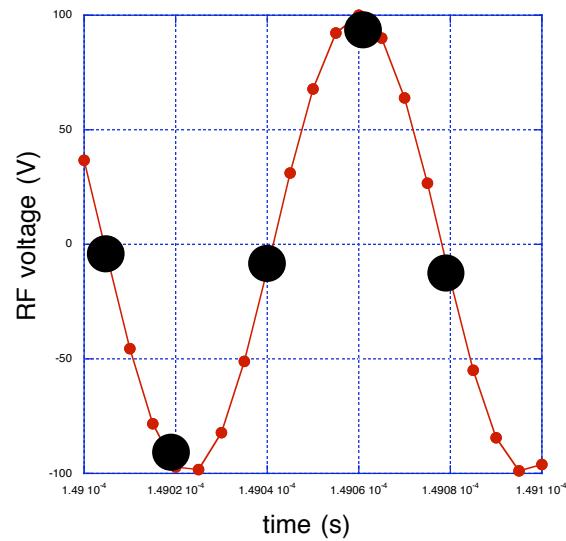


Presence of a Double Layer

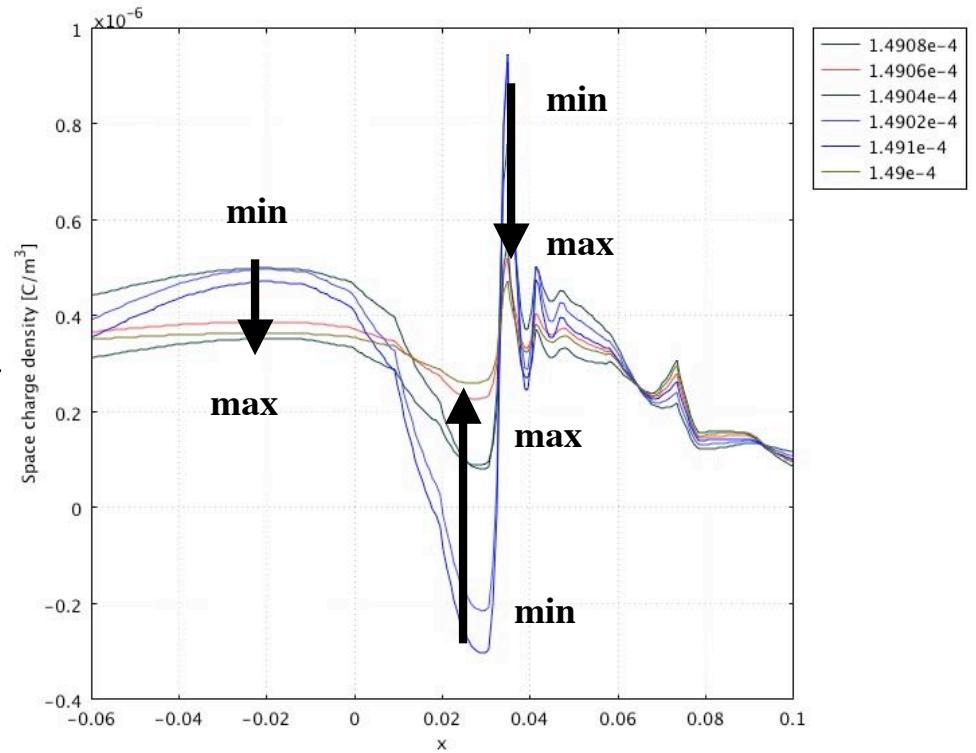
Space charge density

Time dependent space charge density

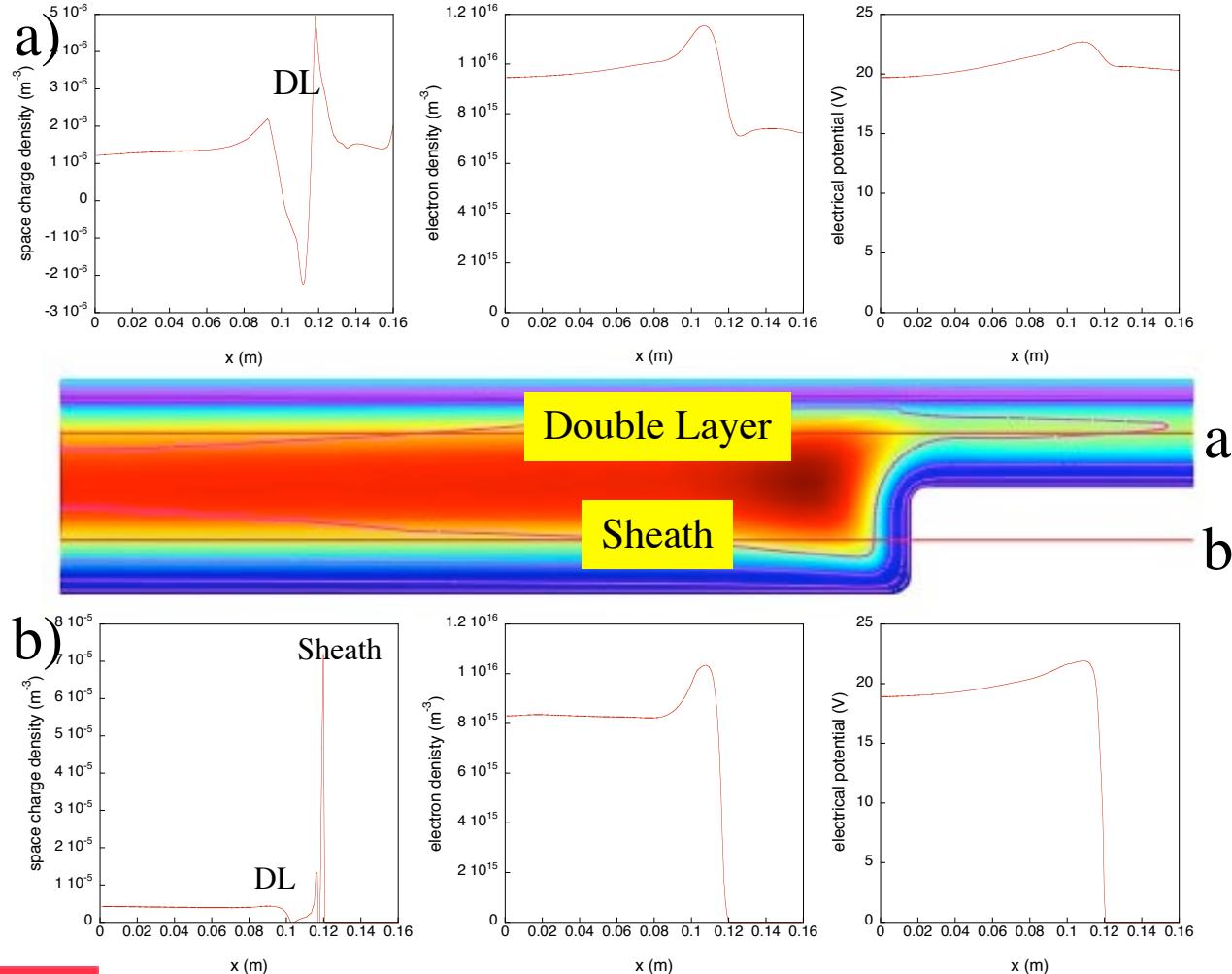
RF voltage

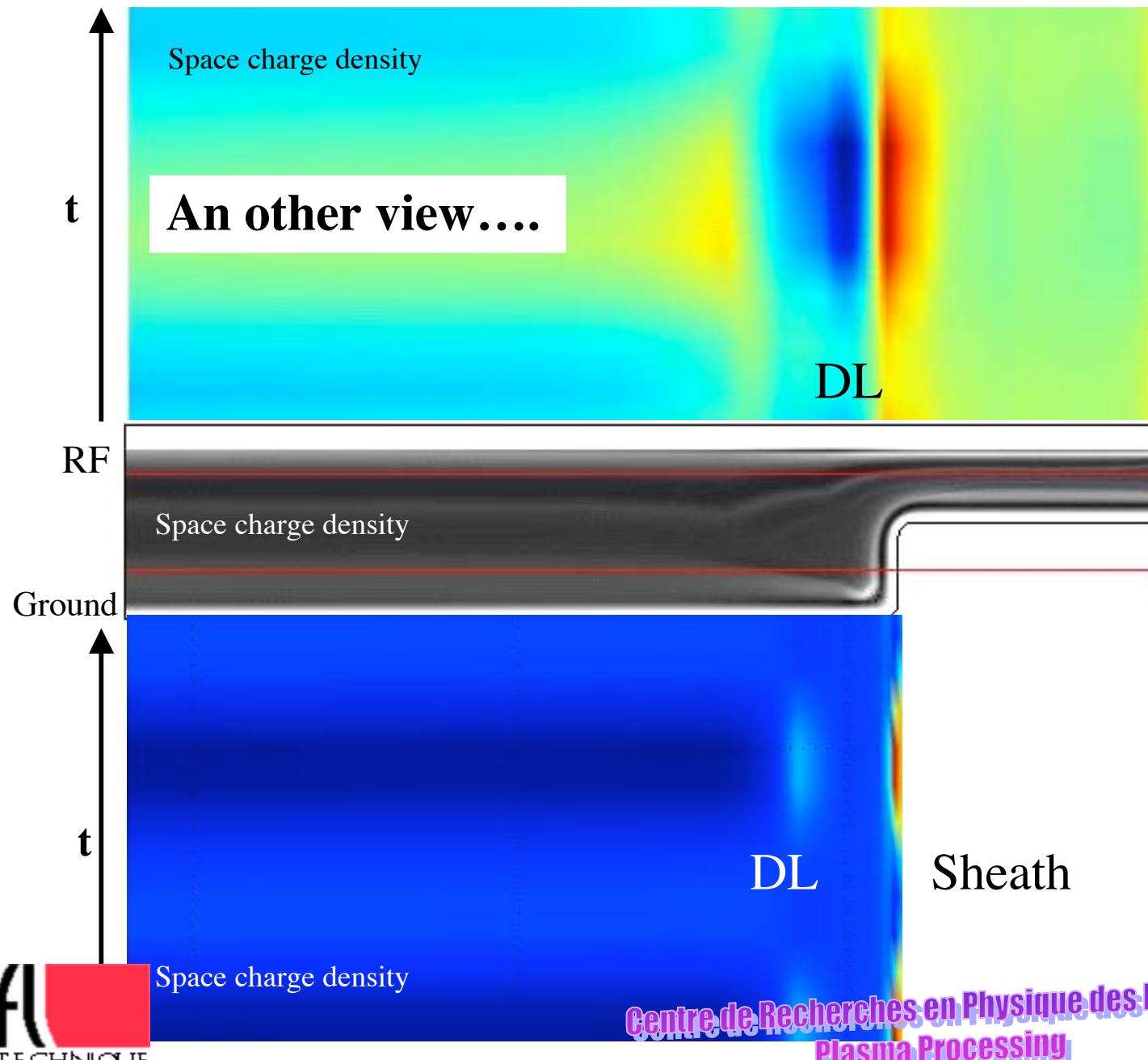


Space charge density

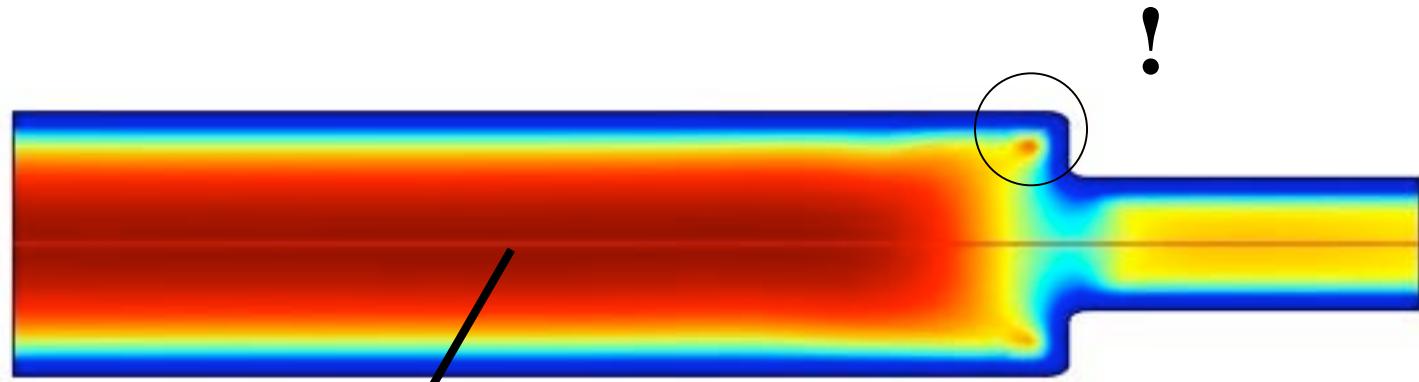


Double Layer and Sheath

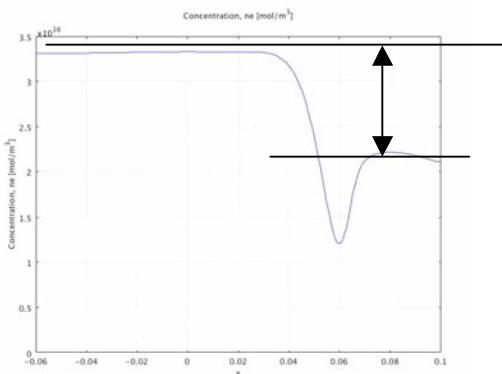




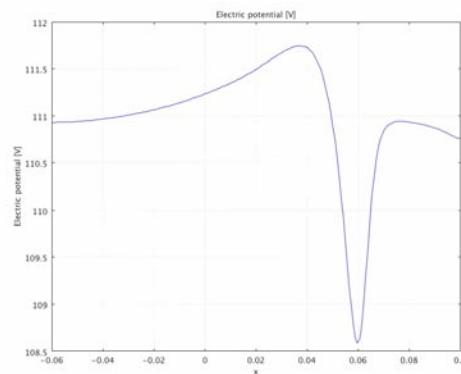
The symmetric case



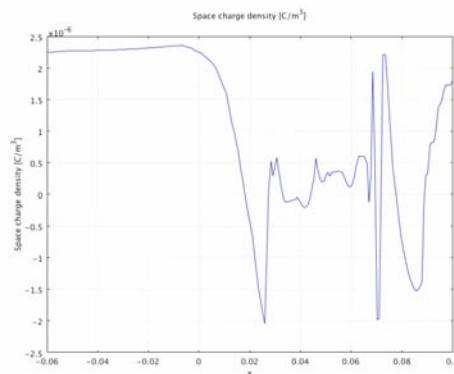
Electron density



Electrical potential

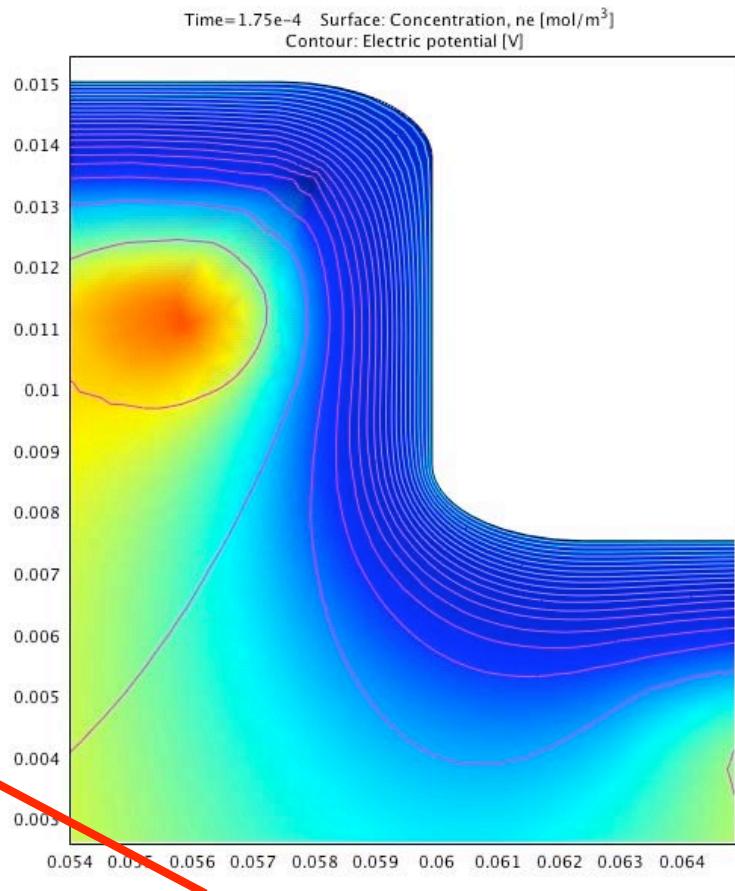
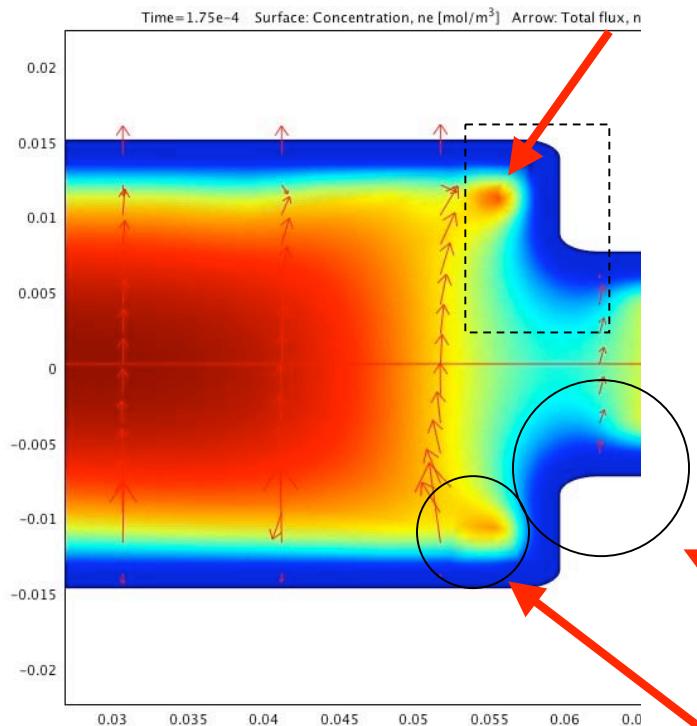


Space charge density



Fundamental role of corners

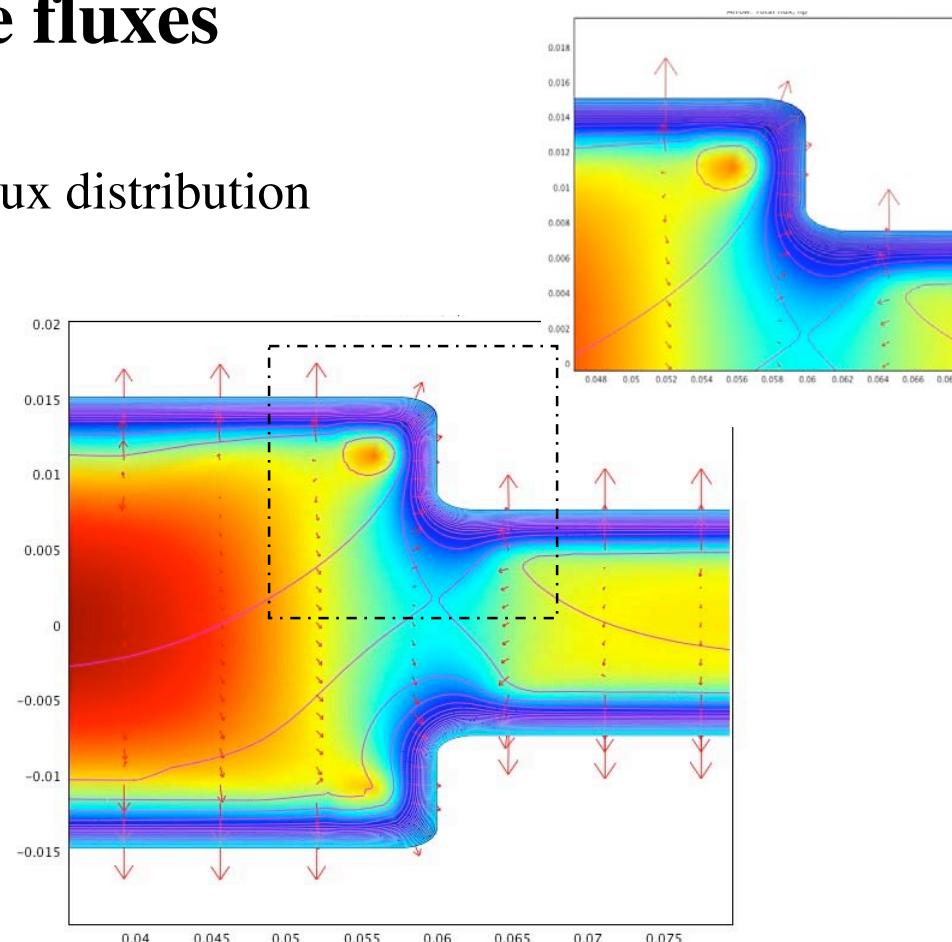
High ionisation rate



Different role of concave and convex corners

Role of the particle fluxes

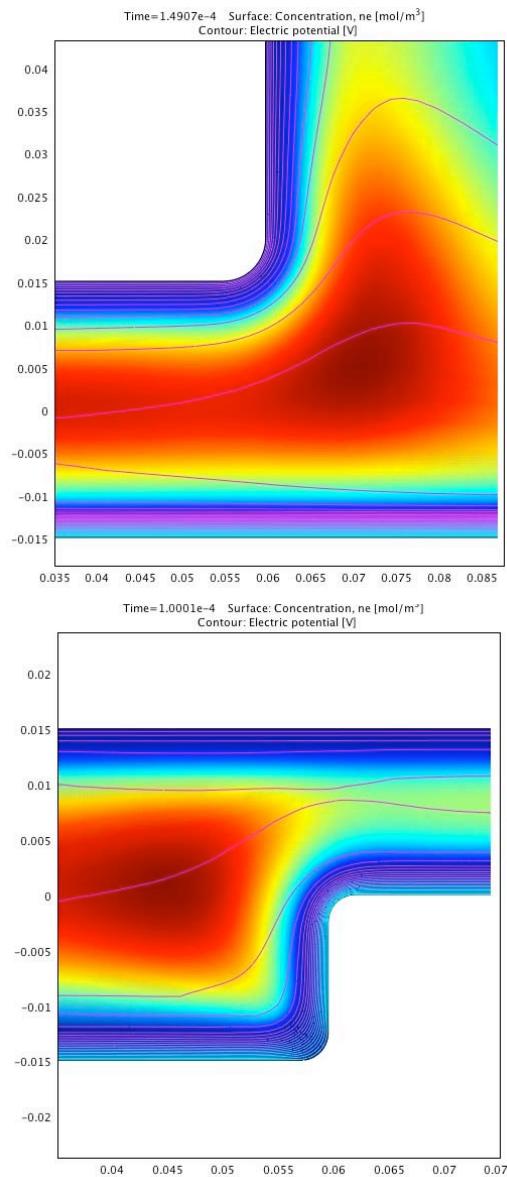
Electron and ion flux distribution



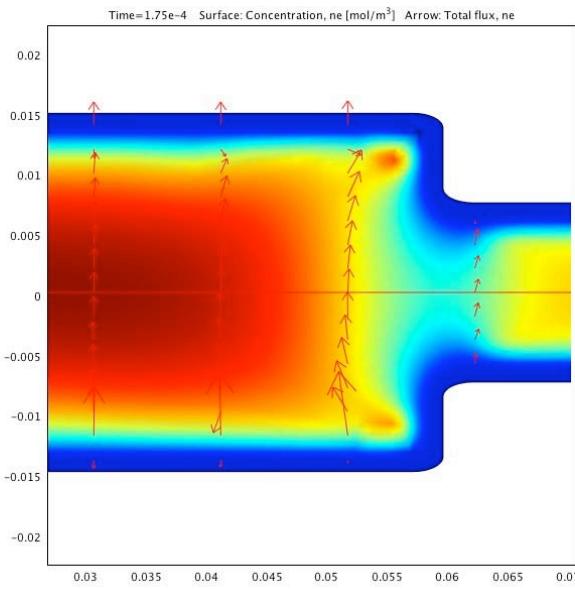
Role of corners

Known problem from ion implantation

Centre de Recherches en Physique des Plasmas
Plasma Processing



Influence of the reactor edge



Corners are an important design element

Important parameter:

Sheath thickness

Geometrical dimensions of the corner

Other design parameters which influence the plasma

Rounding of the corners

Material (Insulator...)

Spacing (dimensions)

Conclusion

Simulations are a very useful method for plasma physics and plasma edge design

COMSOL software is well adapted

Simplified geometries

Meshing

Convergence

Insight in the physics of corners

Insight into the physics of RF reactors

Design of plasma edge